

Longitudinal Beam Tomography by Monte Carlo Method

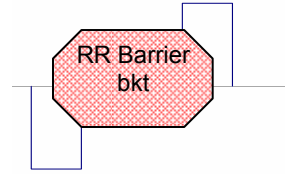
Chandra Bhat

RR Group Meeting
September 26, 2007

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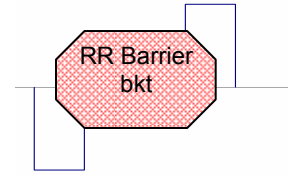
Motivation



- Get realistic longitudinal phase space distribution of the beam particles in an arbitrary rf bucket in a circular accelerator/storage ring
- Extract longitudinal emittance



Monte-Carlo Beam Longitudinal Tomography

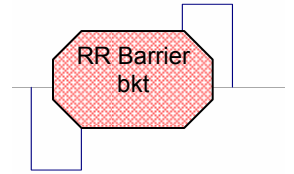


- Used Monte-Carlo technique to make longitudinal tomography of Recycler Beam ← the technique is quite standard in HEP data analysis and in other fields .
- Inputs:
 - Machine parameters
 - RF wave forms
- Data to compare with
 - RWM (Recycler Wall Current Monitor data) Generally this should be sufficient to get the tomography (Alexey Burov)
 - Recycler Schottky data (Longitudinal Spectra: ungated and gated)
- Equations of motion in $(\Delta E, \Delta t)$ -phase space

$$\frac{d\tau}{dt} = -\eta \frac{2\pi \Delta E}{T_0 \beta^2 E_0} \quad \text{and} \quad \frac{d(\Delta E)}{dt} = \frac{eV(\tau)}{T_0}$$



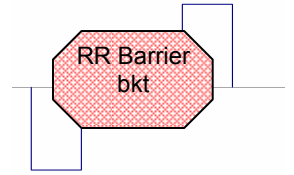
Monte-Carlo Beam Longitudinal Tomography



- Random Population of the beam particles in $(\Delta E, \Delta t)$ -phase space ← This is where the Monte Carlo nature of the problem solving enters in the whole enterprise
 - Use Schottky and RWM data to guide you to decide what type of initial distribution to use and get final beam tomography.
- How one gets beam Tomography
 - Start with single-particle beam dynamics
 - Model other collective effects if they are important
 - space charge effects ⇐
 - Broad band impedances ⇐
 - Beam loading effects
 - Cavity phase and voltage modulation effects ← not used in the current case
 - etc.
- This is a simple minded and straight forward technique with lots of patience.
- This work started in 2002
 - C. M. Bhat and J. Marriner, PAC2003, (2003) page 514.



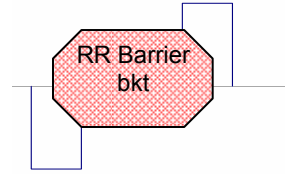
Monte-Carlo Beam Longitudinal Tomography



- Used two different 2D-programs
 - Developed a simple computer program that uses the equations of motion (Bill Ng, original program). Modified it to incorporate e-cool and stochastic cooling (thanks to Dan, Lionel and Sasha).
 - ESME ← All the results in today's presentation are based upon the ESME simulations.
 - Current: Used measured data to construct the $(\Delta E, \Delta t)$ -phase space distribution of the particles.
 - Past: Start with a ideal distribution and ideal rf waveform. Follow the evolution of the phase-space distributions and learn about beam dynamics.
- What we need is, a 6D program to get complete tomography of the beam.



Examples

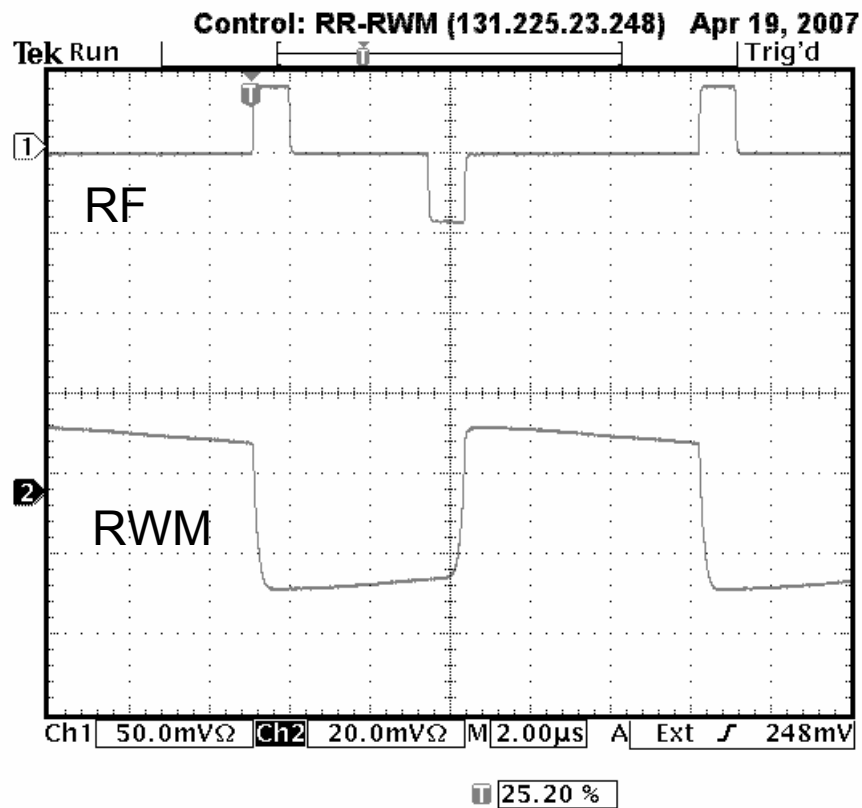


- Beam in a standard "Cold barrier bucket"
- Beam in "Compound bucket"
- Case of "Phase-space Coating"



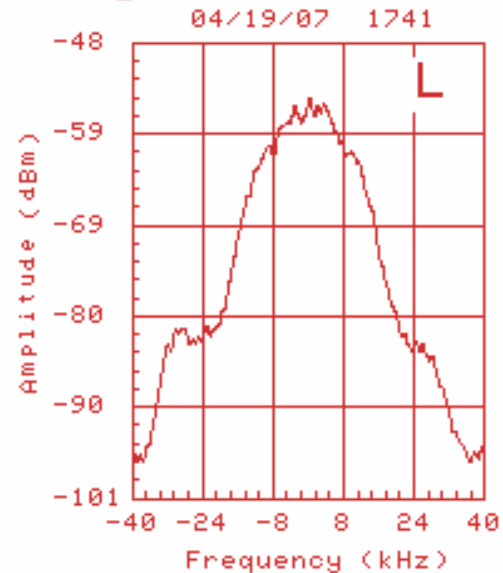
122E10 pbars in Cold Barrier Bucket

RR Barrier
bkt



19 Apr 2007
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Recycler Schottky

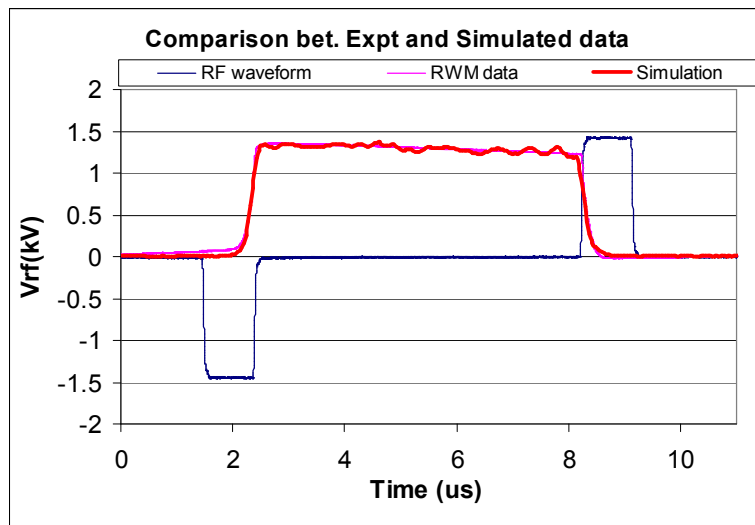
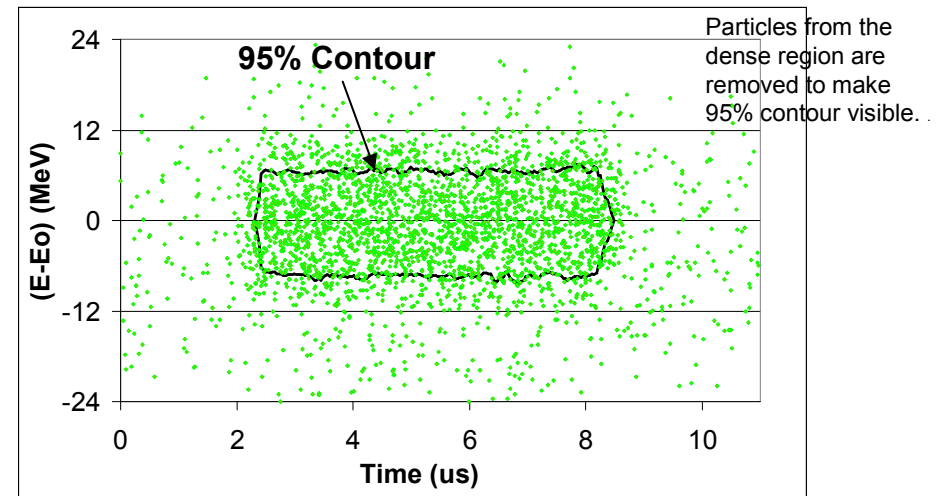
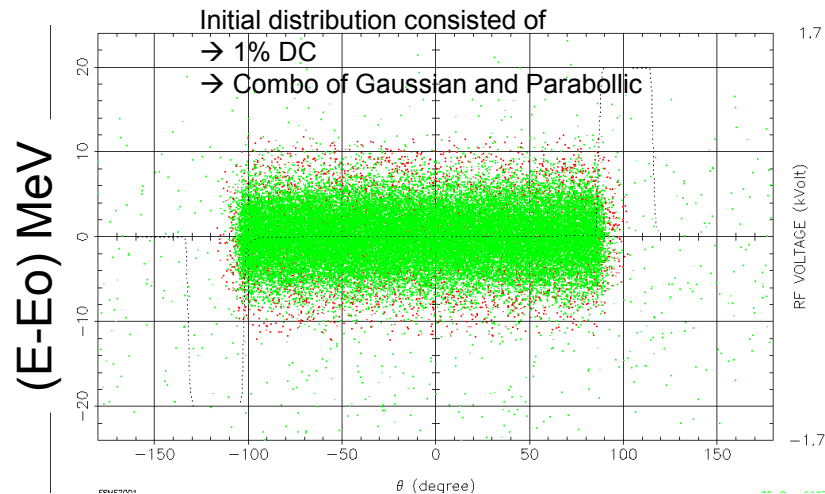
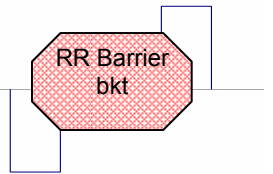


F_rev=89811.242 Hz
Intens= 12.795 E11
Dp(sig)= 3.5954 MeV/c
Dp(90%)=12.0243 MeV/c
emit11(95%)= 86.3760 eV
Tsep1= 5.8513 usec
H_tune= 0.4455
H_emit= 6.224 p-mm-mrad
V_tune= 0.4491
V_emit= 5.993 p-mm-mrad
Beam =12.157 E11
n_avg = 64

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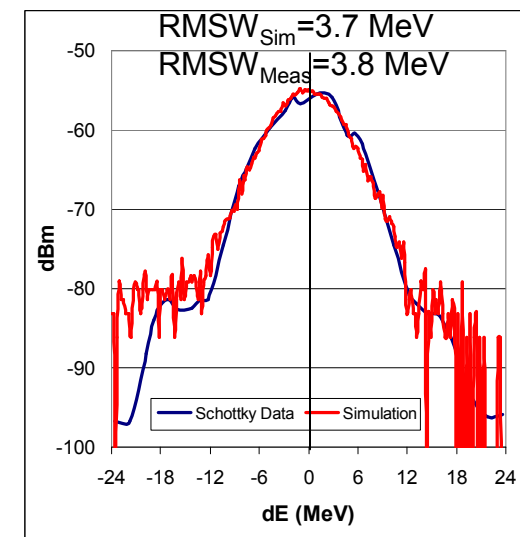


122E10 pbars in Cold Barrier Bucket (cont.)



Current:
LE(95%) = 82.9 eVs

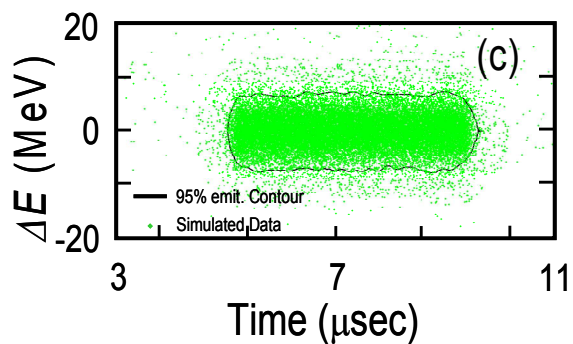
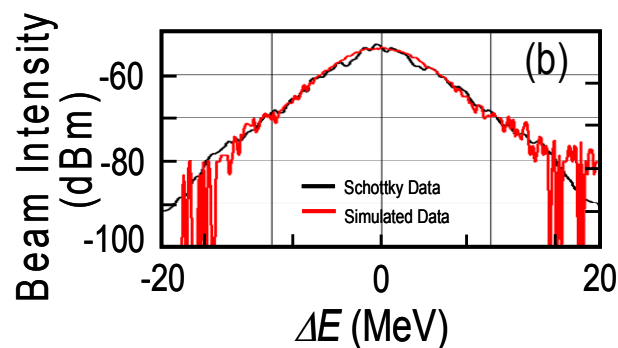
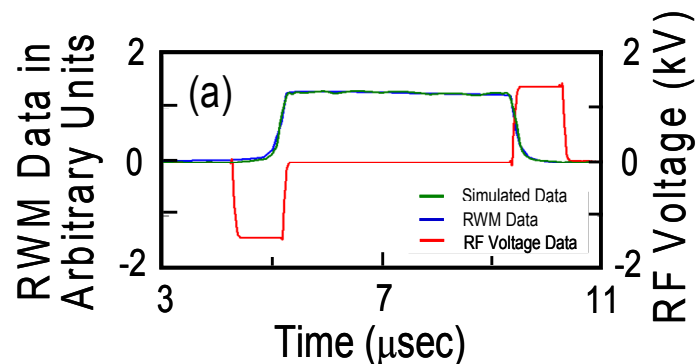
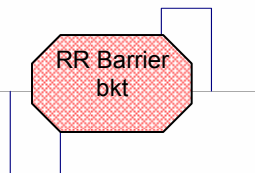
R37:
LE(95%) = 86.4 eVs



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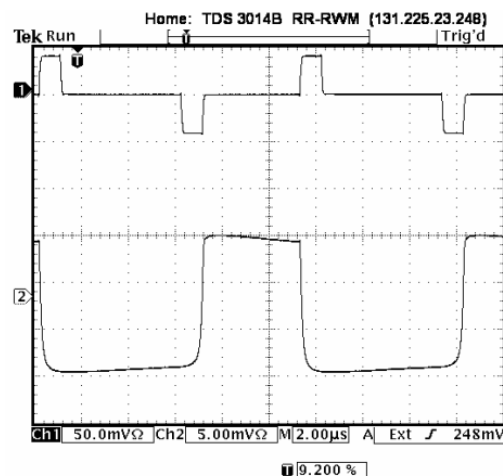


204E10 pbar "Cold Beam"

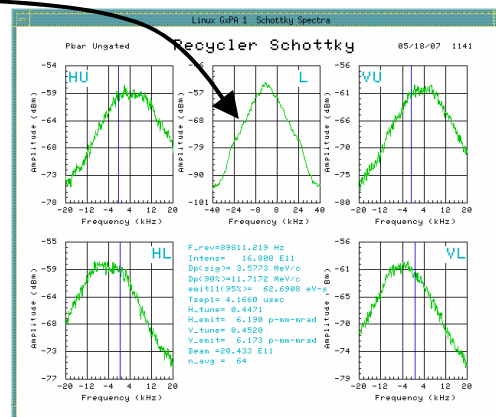


$RMSW_{Expt} = 3.67 \text{ MeV}$
 $RMSW_{Sim} = 3.67 \text{ MeV}$
 $LE(95\%) = 62 \text{ eVs}$

$LE(95\%) = 62 \text{ eVs}$
 $\sim \pm 10\% \text{ error}$



18 May 2007
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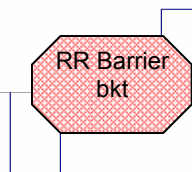


204E10 pbars
 $RMSW_{Expt} = 3.58 \text{ MeV}$
 $LE = 62.7 \text{ eVs}$

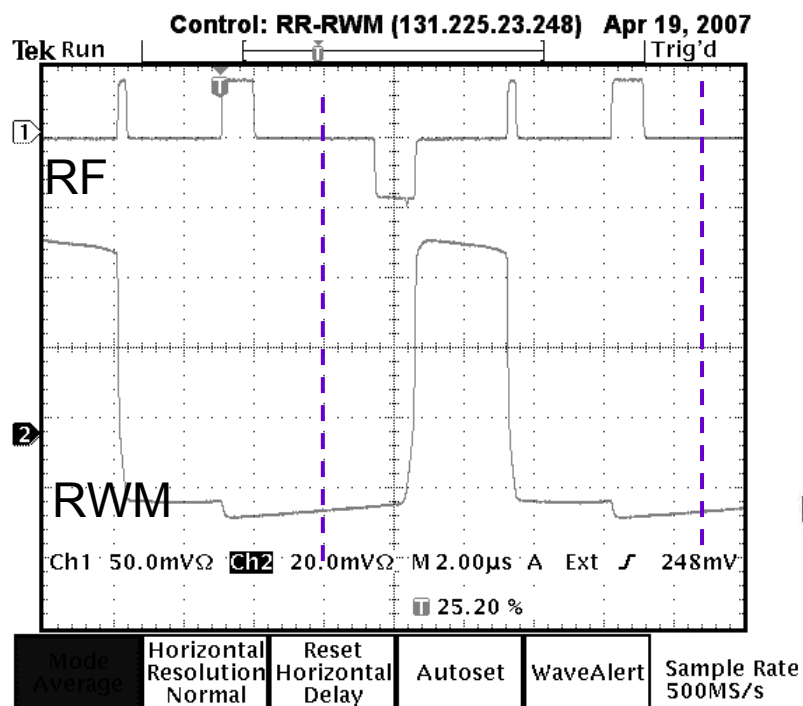
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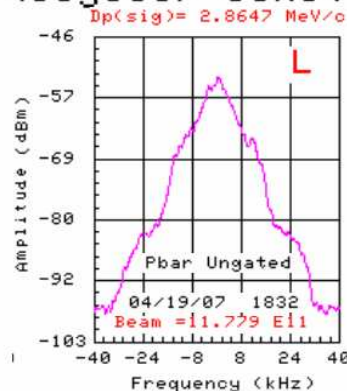
Compound Bucket



Beam= 122E10 pbars

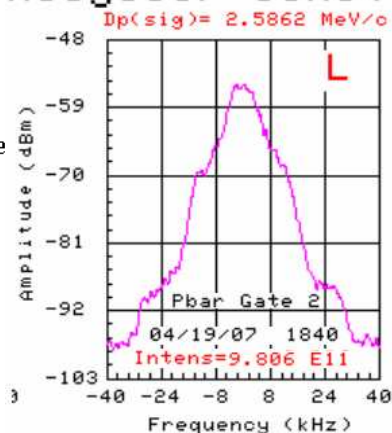


Recycler Schottky



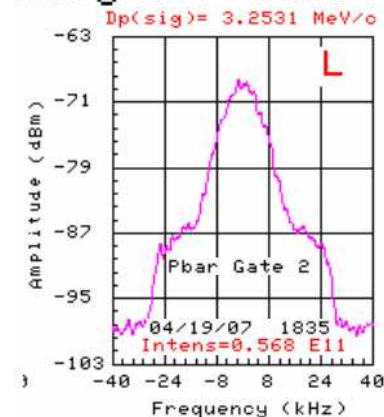
Compound Bkt Core

Recycler Schottky



Compound Bkt tail

Recycler Schottky

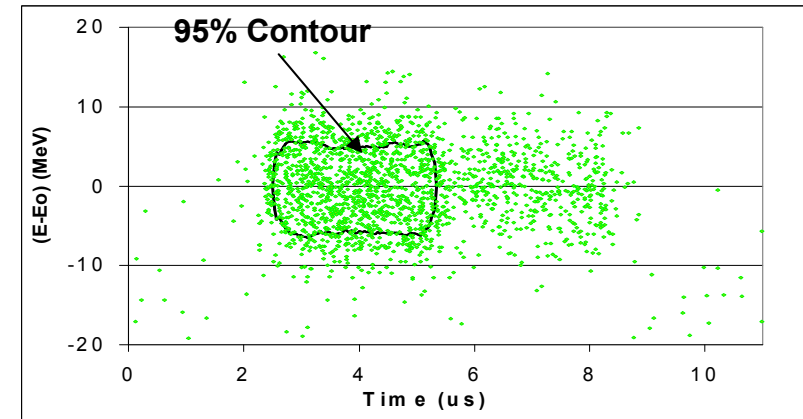
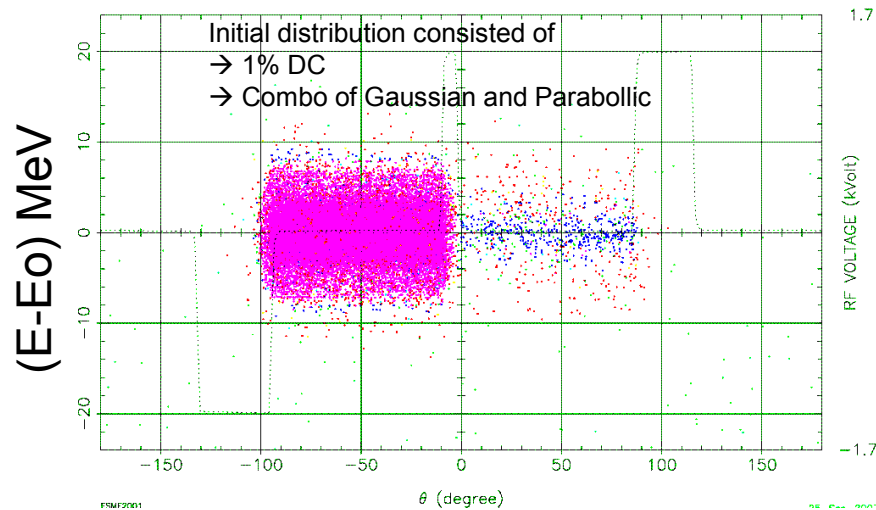


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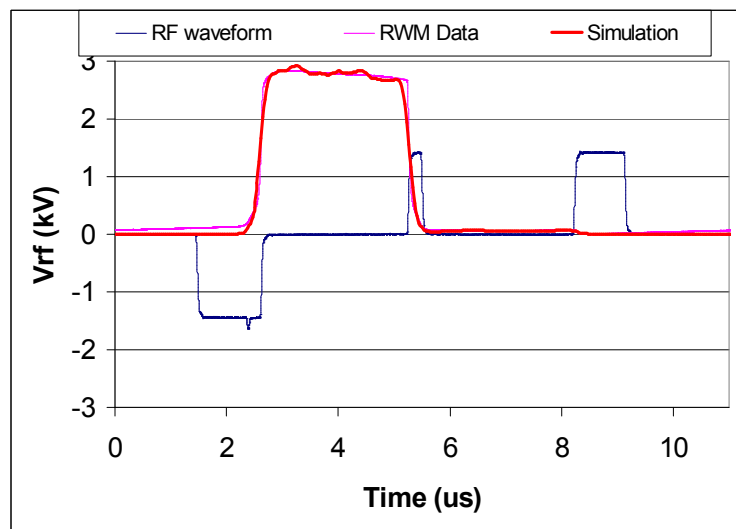


122E10 pbars Compound Bucket (cont.)

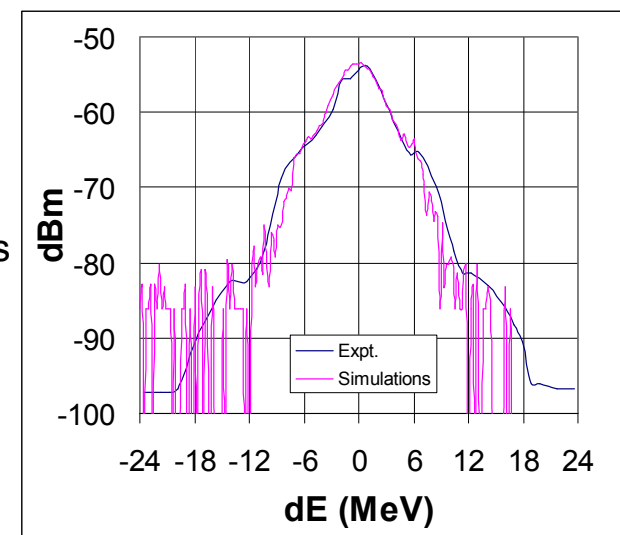
RR Barrier
bkt



$RMSW_{Sim} = 2.7 \text{ MeV}$
 $RMSW_{Meas} = 2.9 \text{ MeV}$



Current:
 $LE(95\%) = 30.2 \text{ eVs}$



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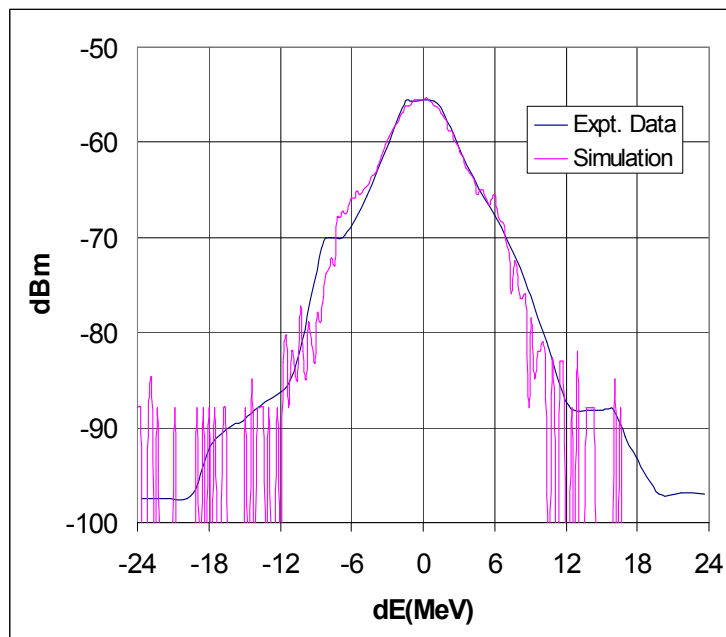


122E10 pbars Compound Bucket (cont.)

RR Barrier
bkt

Core

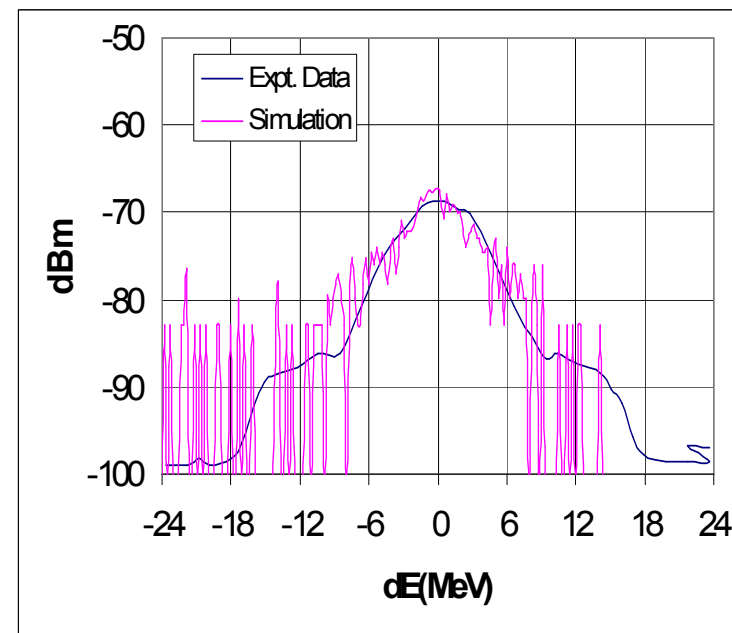
$\text{RMSW}_{\text{Sim}} = 2.62 \text{ MeV}$
 $\text{RMSW}_{\text{Meas}} = 2.45 \text{ MeV}$



Current:
 $\text{LE}(95\%) = 30.2 \text{ eVs}$

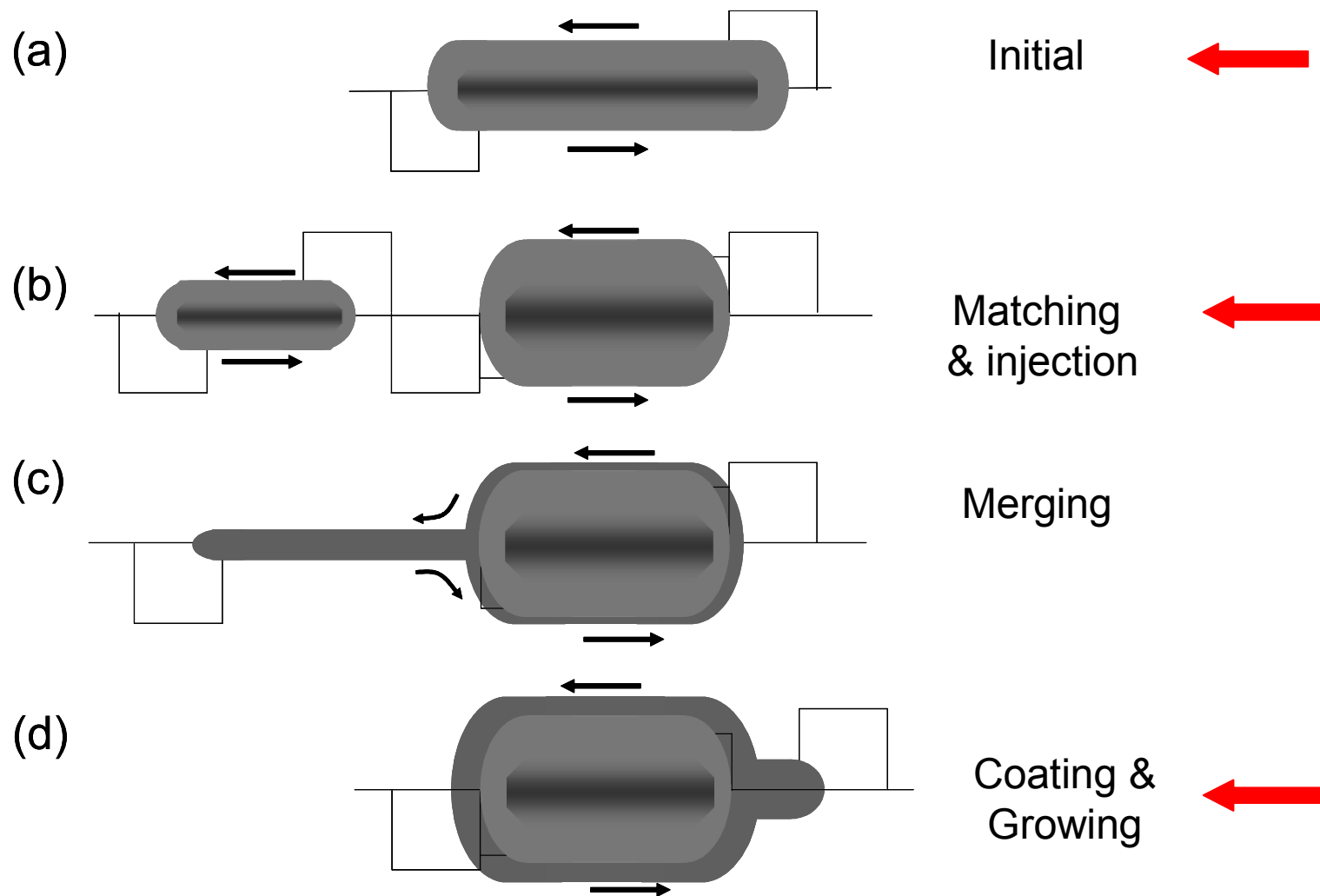
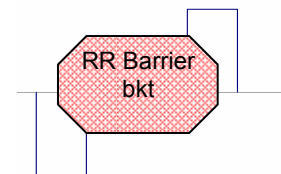
Tail

$\text{RMSW}_{\text{Sim}} = 4.8 \text{ MeV}$
 $\text{RMSW}_{\text{Meas}} = 3.5 \text{ MeV}$





Longitudinal Phase space Coating

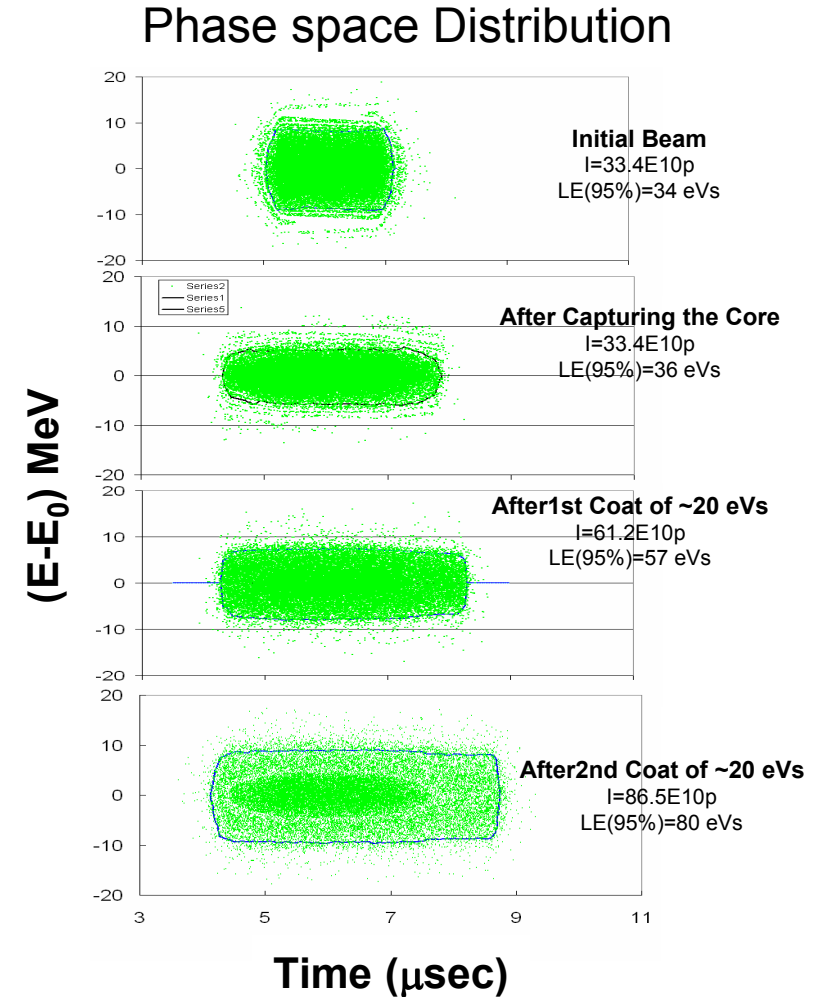
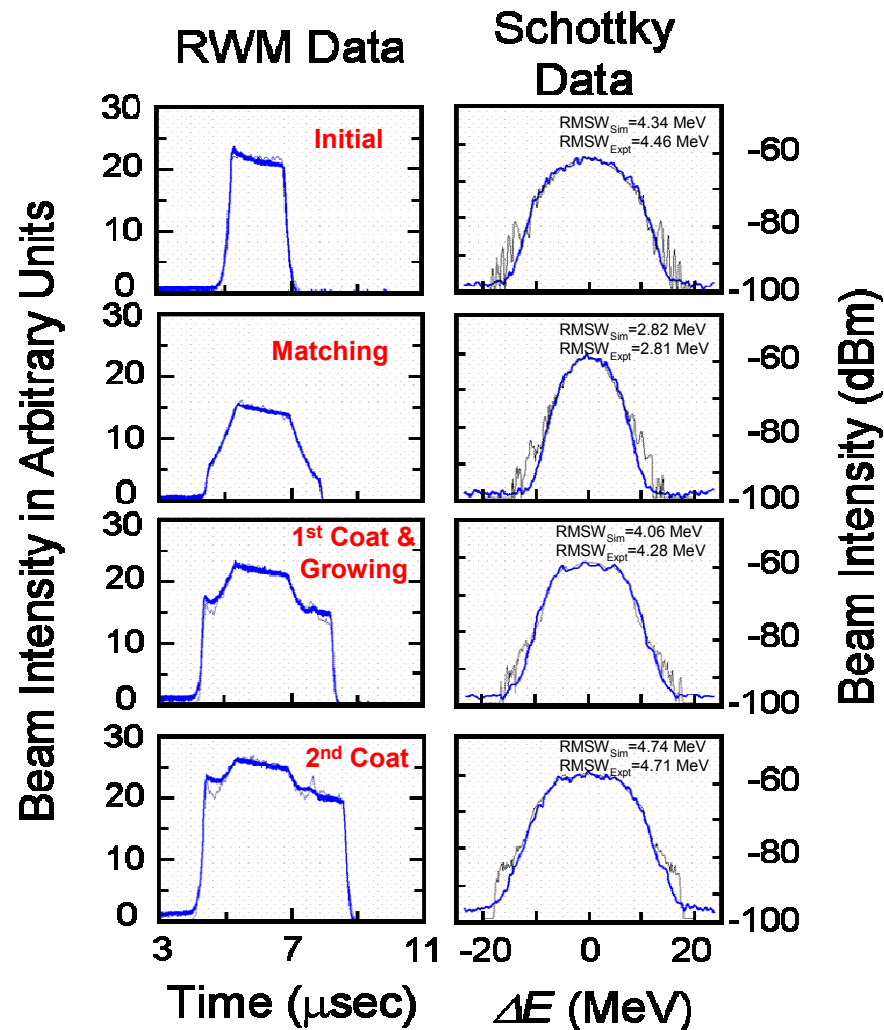
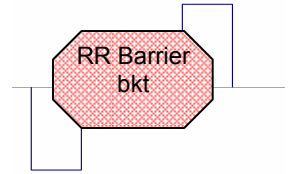


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Longitudinal Phase space Coating Protons

(Simulations with space Charge effects)



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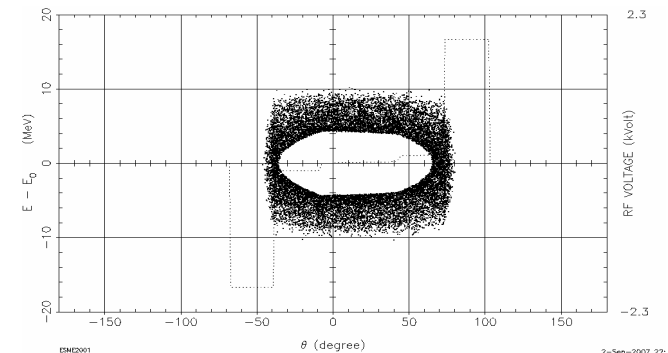
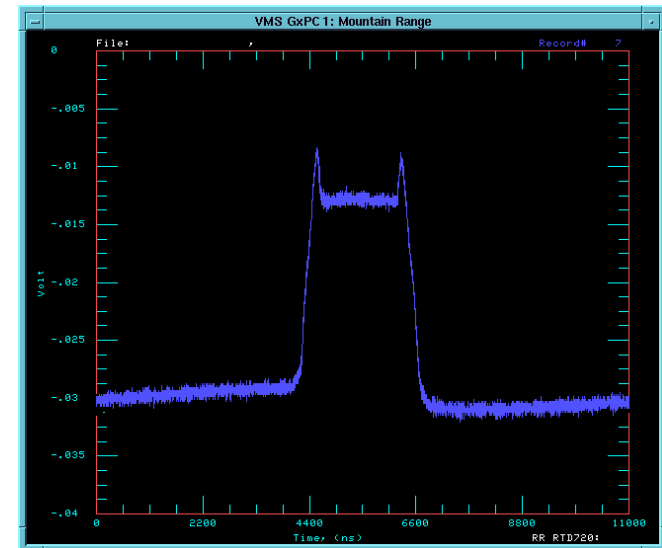
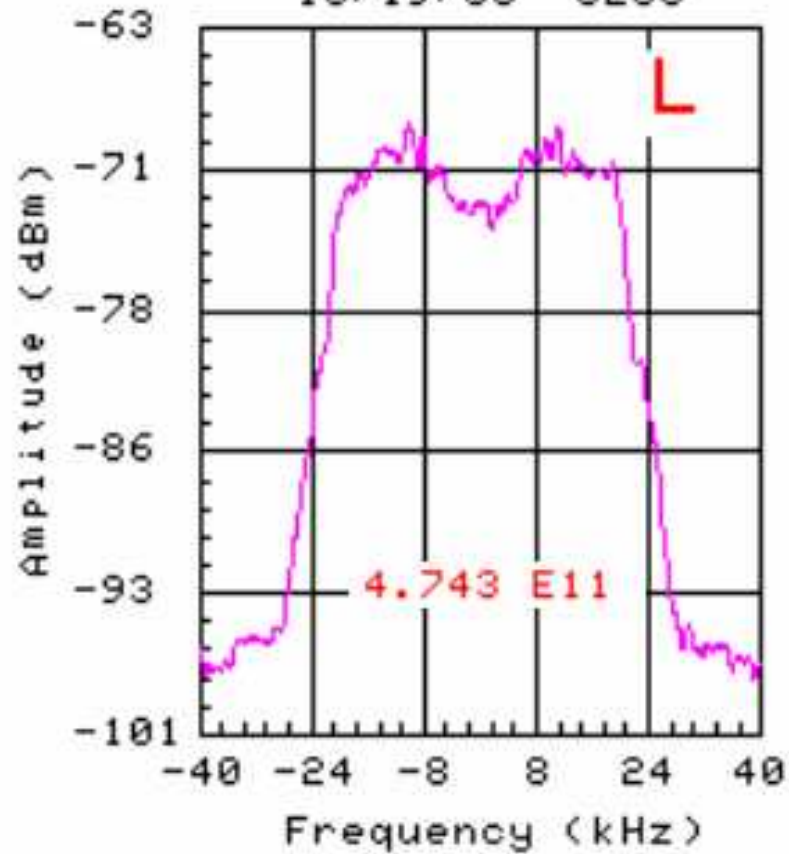
Hollow Beam

(work in Progress)

RR Barrier
bkt

Recycler Schottky

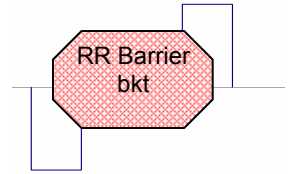
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Pros & Cons and Issues



- This method (in principle) gives accurate representation of the phase-space distribution of the beam in an RF bucket, i.e., Beam Tomography. Hence, one can estimate emittance quite accurately.

- Issues:

- ☐ Statistics versus computation time
- ☐ What is 95% longitudinal emittance for a compound bucket or for a more complex bucket. Notice that at $600E10$ about $30 E10$ beam will be outside the 95% region